Computation Modeling Assignment 36

Cayden Lau

April 7, 2021

Problem 36-1

 ${\bf Solution} \ {\rm Finding} \ {\rm the} \ {\rm piecewise} \ {\rm function...}$

$$P(52, 30, 68, 7 | N) = P(52) + P(30) + P(68) + P(7)$$
$$= \frac{1}{N^4}$$
$$P_N(x) = \begin{cases} \frac{1}{N^4} & N \ge 68\\ 0 & \text{otherwise} \end{cases}$$

Normalizing the likelihood to find the posterior distribution...

$$\sum_{N=1}^{\infty} c \cdot P(N \mid 52, 30, 68, 7) = 1$$

$$c \cdot \sum_{N=1}^{\infty} \frac{1}{N^4} = 1$$

$$c \cdot \sum_{N=68}^{\infty} \frac{1}{N^4} = 1$$

$$0.000001084c = 1$$

$$c = 922741.866953715$$

Using repl. it code to find the sums, with 95% certainty, the max number of tanks they have is 183.